

GENERAL DYNAMICAL MODEL APPROACH FOR GLUCONIC ACID PRIDUCTION

Maya N. Ignatova



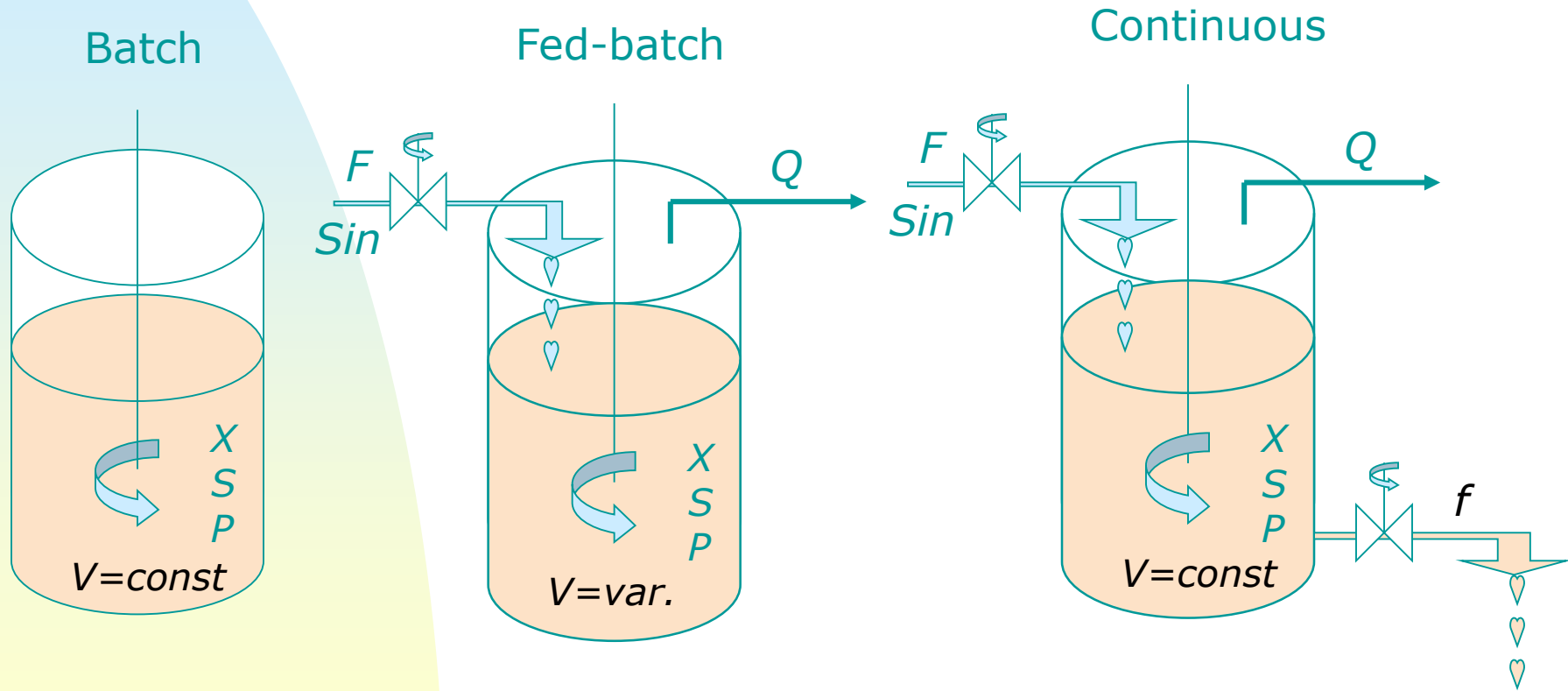
INSTITUTE OF ROBOTICS



Bulgarian Academy of Sciences

Craiova, October, 2024

MODES OF CULTIVATION



INTERCONNECTION SCHEME



Expert knowledge

On-line and laboratory measurements

Biotechnological models derivation

Process data bases

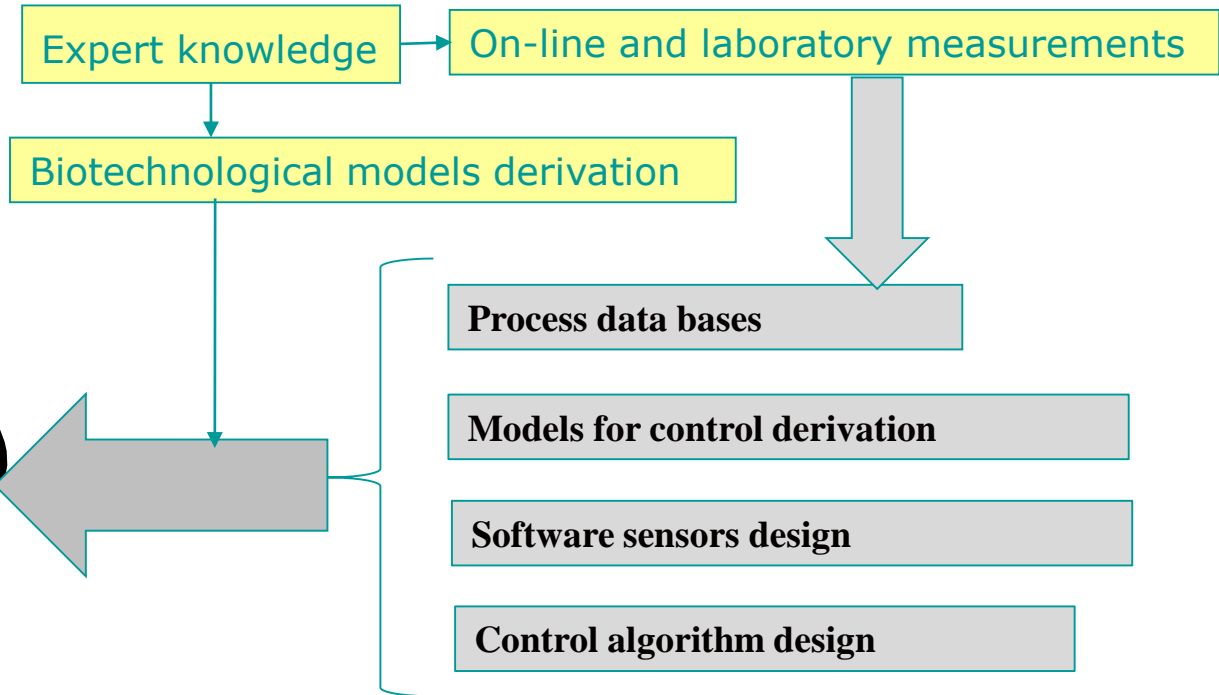
Models for control derivation

Software sensors design

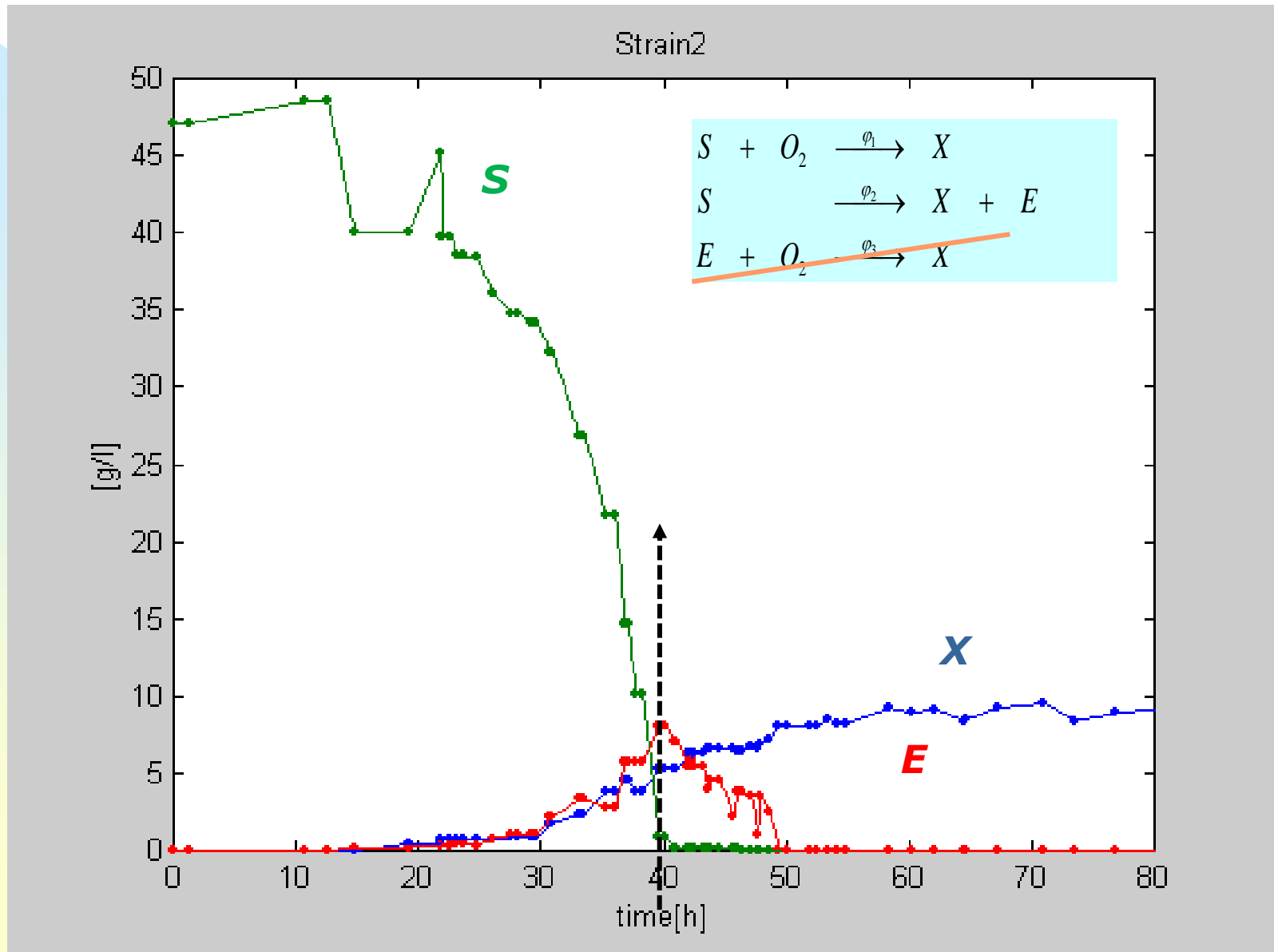
Control algorithm design



InSEMCoBio

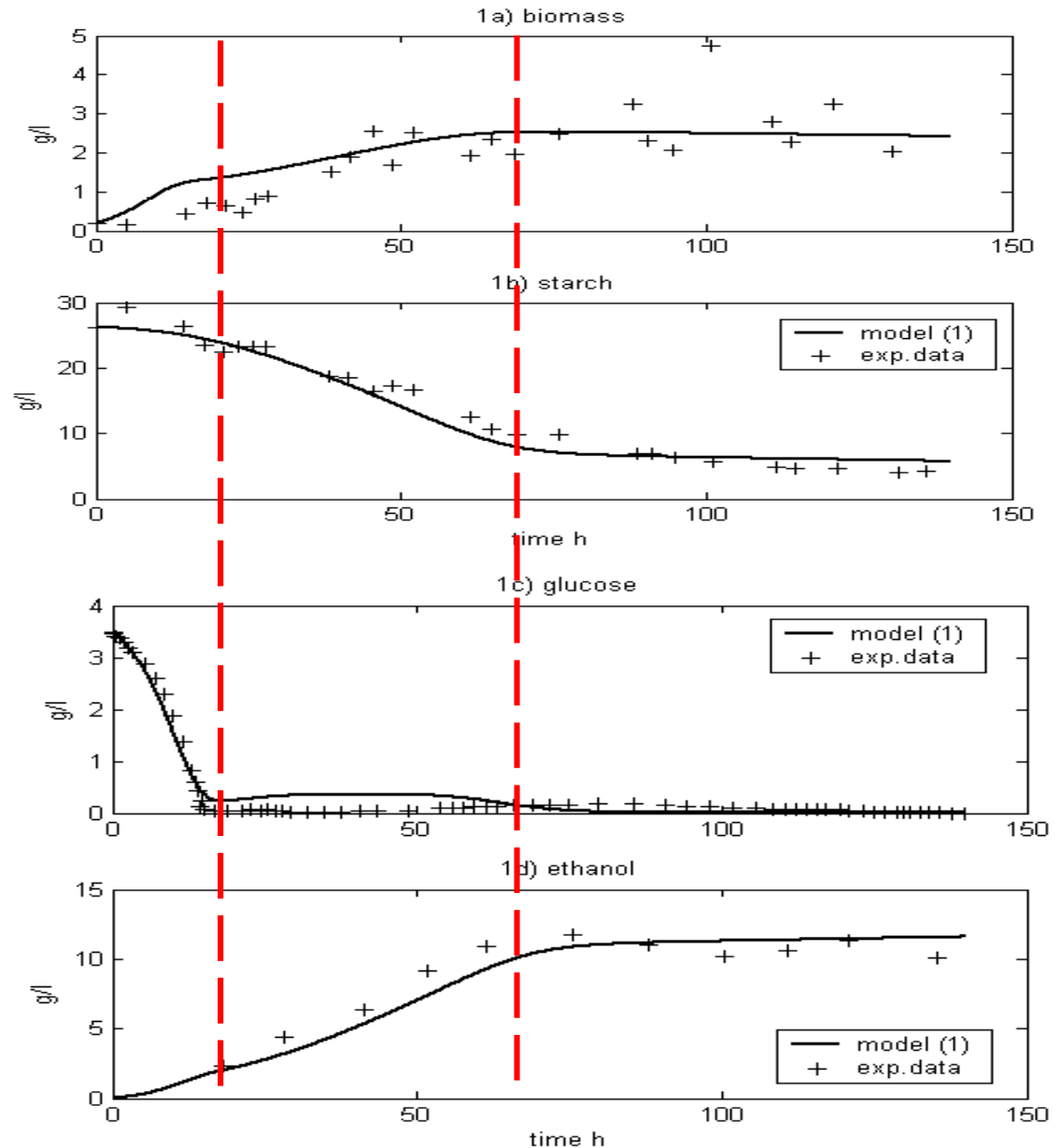
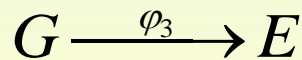
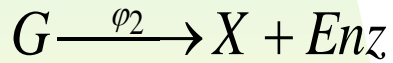
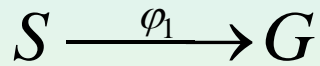


BATCH EXPERIMENTAL DATA OF YEAST FERMENTATION

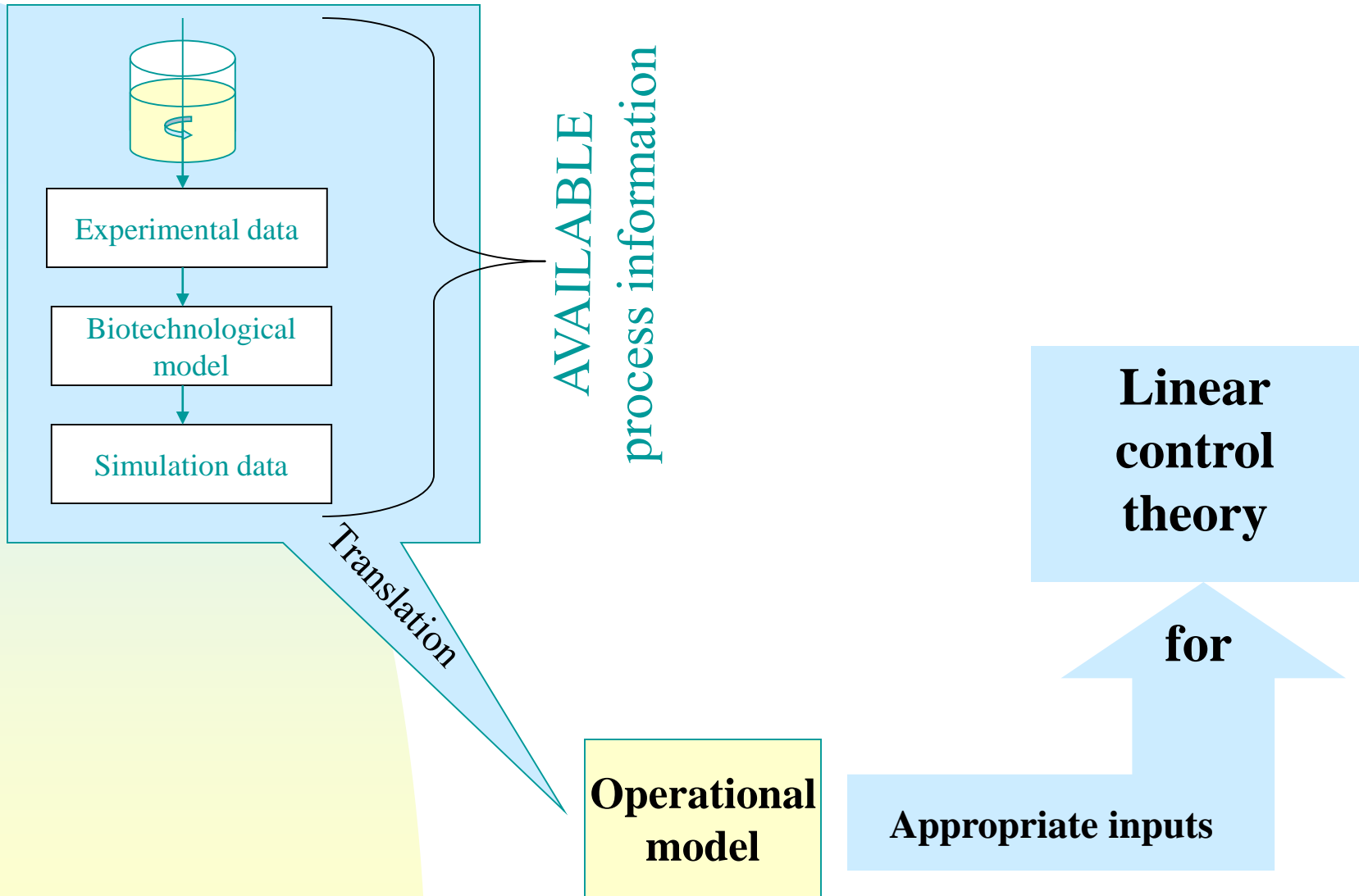


Simultaneous saccharification and fermentation of starch to ethanol (SSFSE) – Experimental data

Схема на реакциите



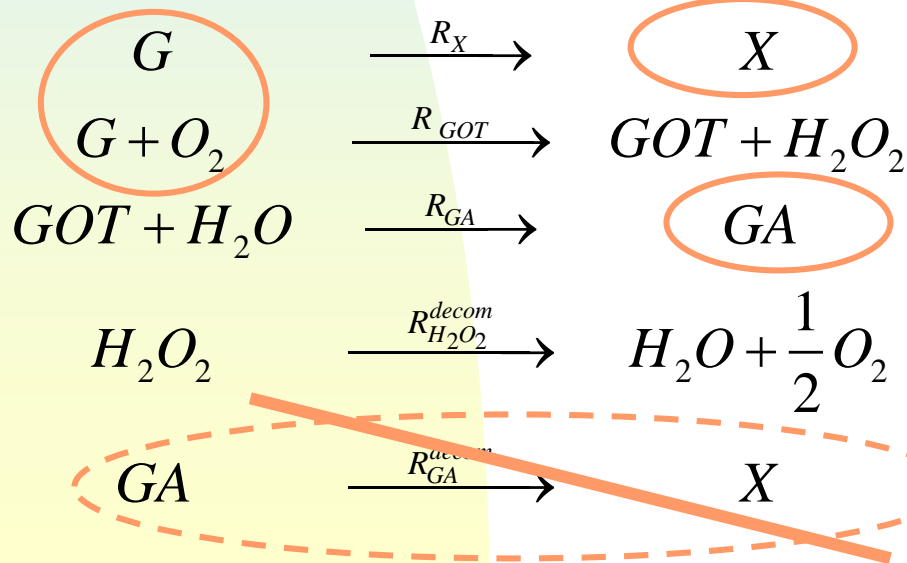
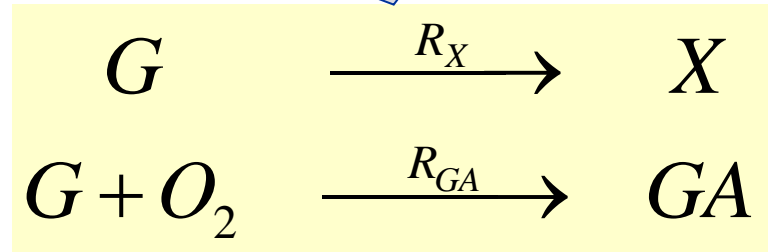
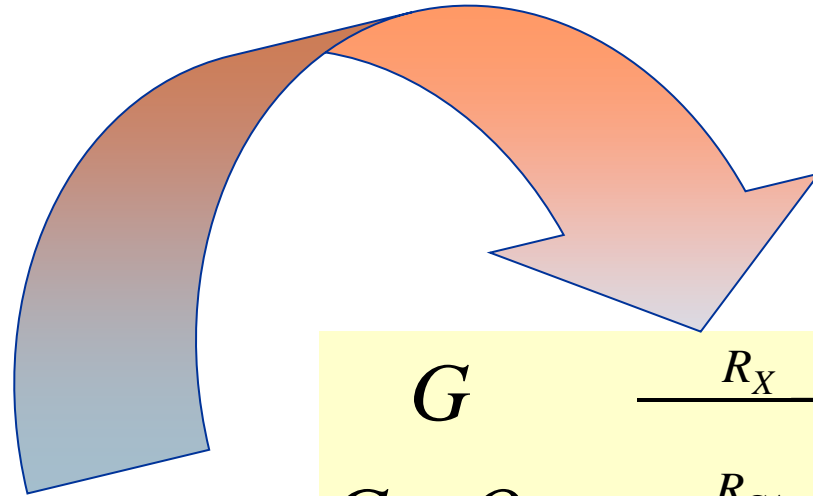
MODEL-BASED CONTROL



REACTION SCHEME FOR GLUCONIC ACID PRODUCTION

Glucosylolactone (*GOT*)

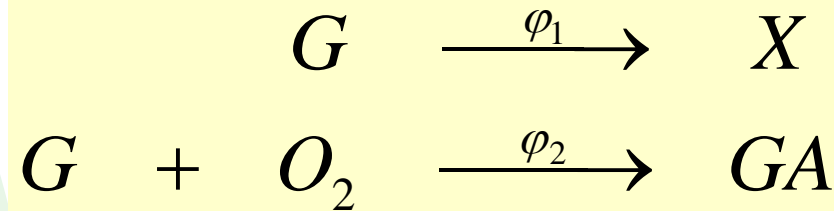
Hydrogen peroxide (H_2O_2)



GENERAL DYNAMICAL MODEL DERIVATION

Bastin, G. and D. Dochain (1990). *On-line estimation and adaptive control of bioreactors*, Amsterdam, Oxford, New York, Tokyo: Elsevier.

Dochain, D. and P. A. Vanrolleghem (2001). *Dynamical Modelling and Estimation in Wastewater Treatment Processes*, IWA Publishing



$$\frac{d\xi}{dt} = \sum_i (\pm) k_i \varphi_i - D\xi + F_i$$

GENERAL DYNAMICAL MODEL

Process kinetics

Transport dynamics

$$d\xi/dt = K\varphi - D\xi + F$$

KNOWN!

GD MODEL TRANSFORMATION

$$\dot{\xi}_a = K_a \varphi - D \xi_a + F_a$$

← measured

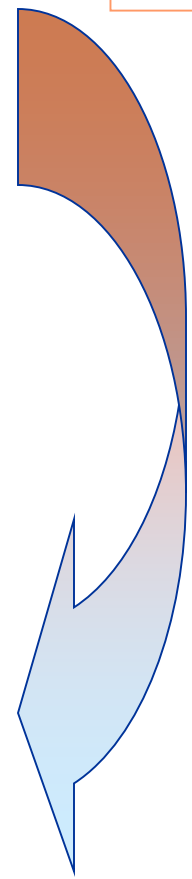
$$\dot{\xi}_b = K_b \varphi - D \xi_b + F_b$$

← unmeasured

$$Z = A_0 \xi_a + \xi_b$$

Auxiliary state variable State partition

$$\begin{aligned} \dot{\xi} &= K_a \varphi - D \xi_a + F_a \\ \dot{Z} &= A_0 F_a - D \xi_b + F_b \end{aligned}$$



BIOMASS AND GLUCONIC ACID OBSERVERS

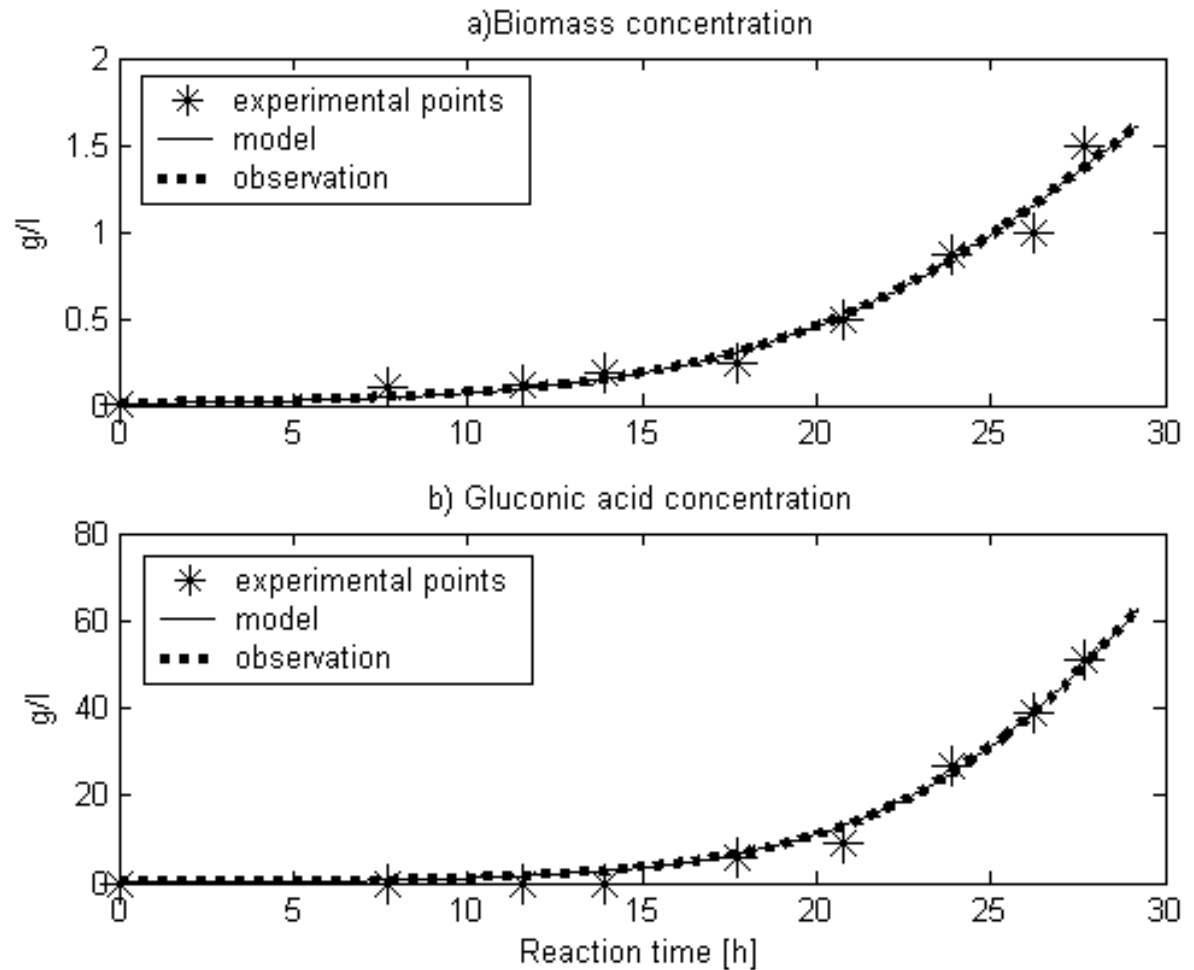
$$\dot{Z}_1 = -D Z_1 + D G_{in};$$

$$\dot{Z}_2 = -D Z_2 + K_L a (O_2^* - O_2);$$

$$X_e = \frac{1}{k_1} Z_1 - \frac{k_2}{k_1 k_3} (Z_2 - O_2) - \frac{1}{k_1} G$$

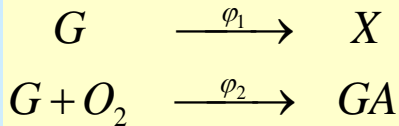
$$GA_e = \frac{1}{k_3} (Z_2 - O_2)$$

OBSERVERS CROSS VALIDATION



Adaptive linearizing control design for continuous process

Reaction scheme



General model

$$\begin{array}{l}
 \dot{X} = \varphi_1 - DX \\
 \dot{G} = -k_1\varphi_1 - k_2\varphi_2 - D(G - G_{in}) \\
 \dot{O}_2 = -k_3\varphi_2 - DO_2 + K_L a(O_2^* - O_2) \\
 \dot{GA} = \varphi_1 - DGA
 \end{array}$$

Reaction rates

$$\begin{array}{l}
 \varphi_1 = GX\alpha_1 \\
 \varphi_2 = GO_2\alpha_2
 \end{array}$$

Reference model for the regulation error

$$\frac{d(GA^* - GA_e)}{dt} + \lambda(GA^* - GA_e) = 0$$

$$\frac{dG^*}{dt} = 0$$

$$\lambda(GA^* - GA_e) = \frac{dGA_e}{dt}$$

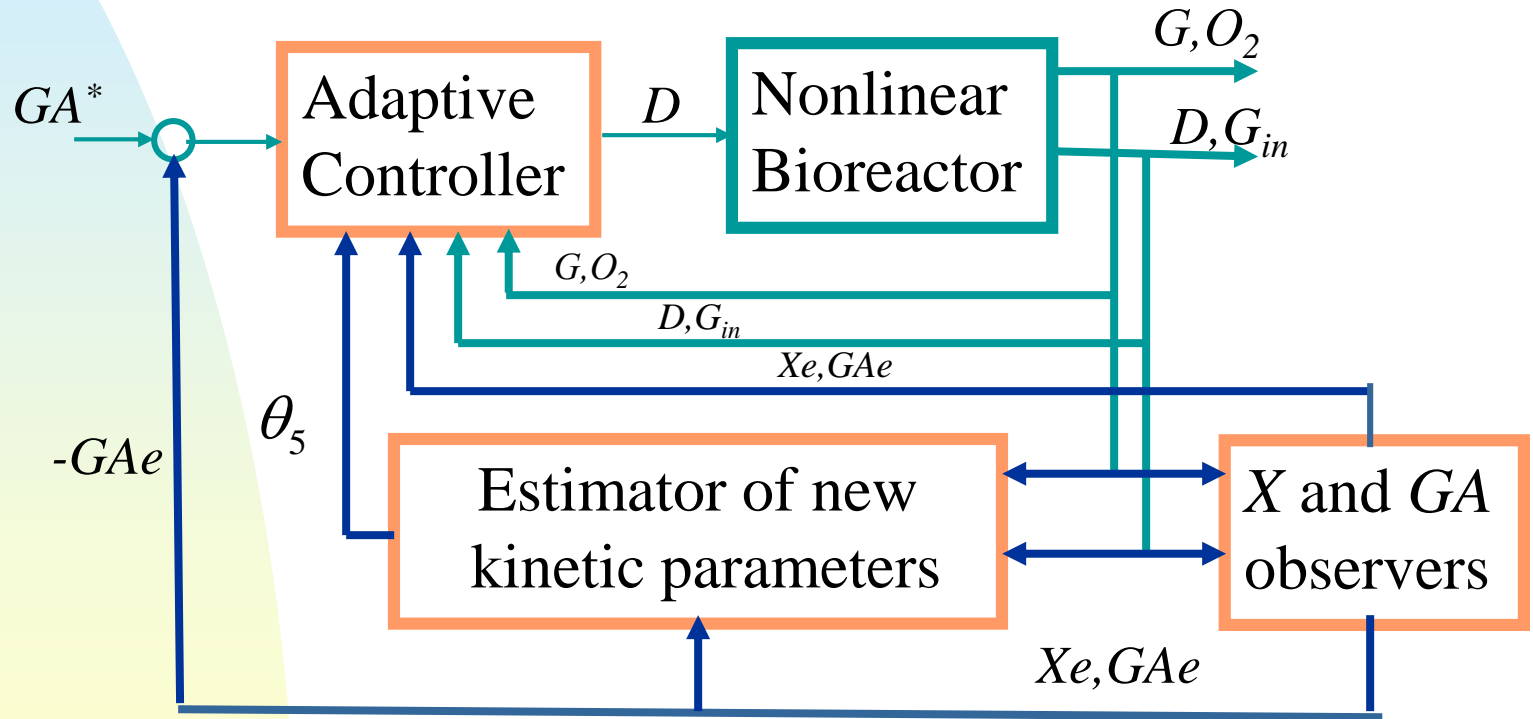
General model in linear regression form

$$\begin{array}{l}
 dX_e / dt = X_e G \theta_1 - DX_e \\
 dG / dt = -X_e G \theta_2 - GO_2 \theta_3 - D(G - G_{in}) \\
 dO_2 / dt = -GO_2 \theta_4 - DO_2 - K_L a(O_2^* - O_2) \\
 dGA_e / dt = GO_2 \theta_5 - DGA_e
 \end{array}$$

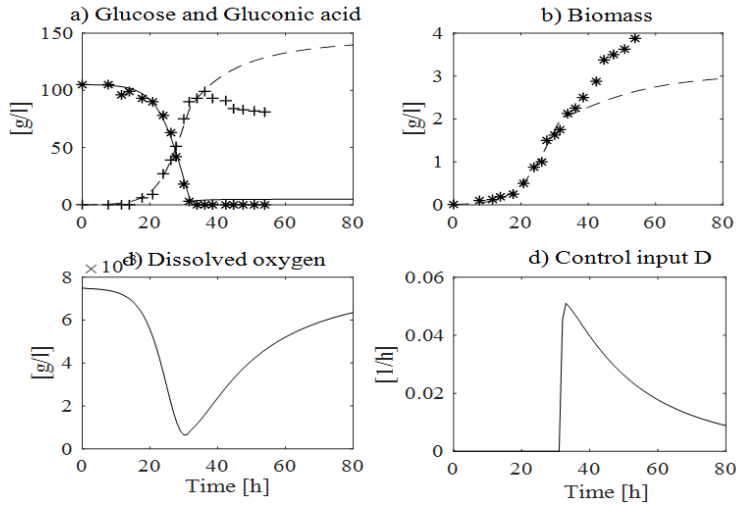
Input (D)/output (GA) model

$$D = \frac{-\lambda(GA^* - GA_e) + GO_2 \theta_5}{GA_e}$$

CONTROL SCHEME

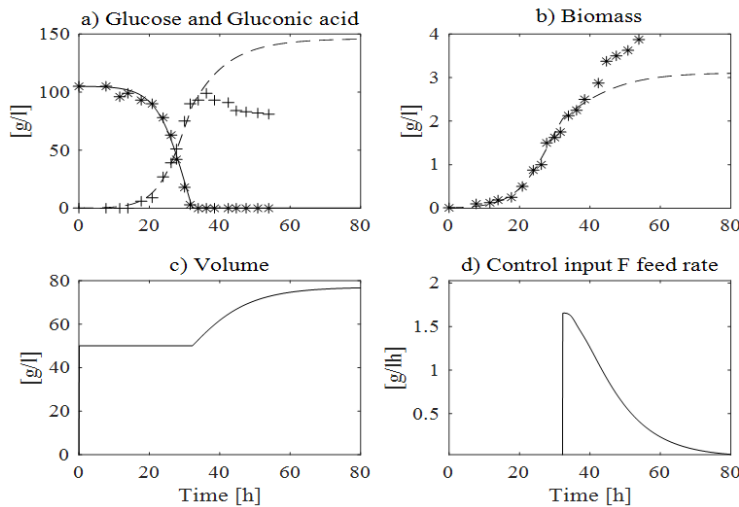


Continuous Control of Glucose concentration



$$D = \frac{-\lambda(G^* - G) - X_e G\theta_2 - GO_2\theta_3}{G - G_{in}}$$

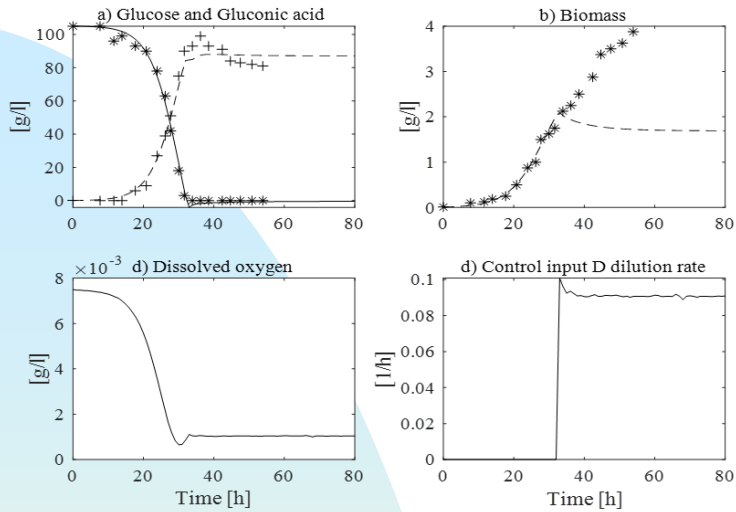
Fed-Batch Control of Glucose concentration



$$F = \frac{G_{in}(-\lambda(G^* - G) - X_e G\theta_2 - GO_2\theta_3)}{G - G_{in}}$$

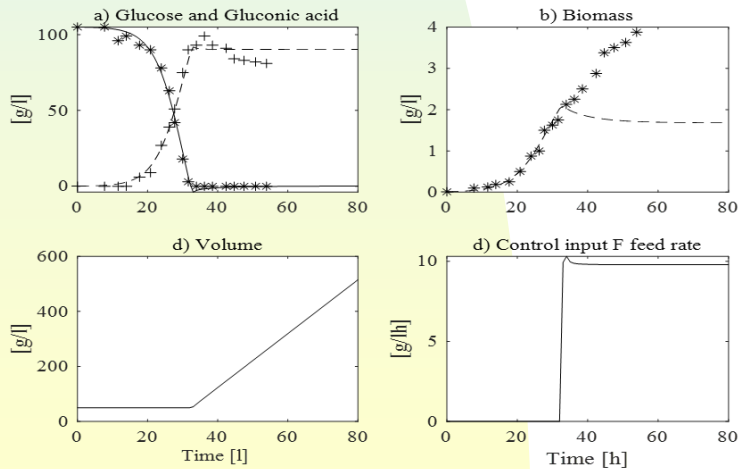
$$dV/dt = F$$

Continuous Control of Gluconic Acid Concentration



$$D = \frac{-\lambda(GA^* - GA_e) + GO_2\theta_5}{GA_e}$$

Fed-Batch Control of Gluconic Acid Concentration



$$F = \frac{V(\lambda(GA^* - GA_e) - GO_2\theta_5)}{GA_e}$$

$$dV/dt = F$$

ACKNOWLEDGEMENTS

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Thanks for your attention